# Description of the first disc $\boldsymbol{\Delta 1}(\mathbf{t})$ of the commuting graph $\mathbf{C}(\mathbf{G}, \mathbf{X})$ for elements of order three in symmetric groups 


#### Abstract

The commuting graph $C(G, X)$, where $G$ is a finite group and $X$ is a subset of $G$, is the graph whose vertex set is X and two distinct elements of X being joined by an edge whenever the y commute in the group $G$. Here the $\mathrm{CG}(\mathrm{t})$-orbit representatives and the number of elements in the first disc $q \mathbf{q}(\mathrm{t})$ of $\mathrm{C}(\mathrm{G}, \mathrm{X})$, is studied when G is a symmetric group of degree n , $\operatorname{Sym}(\mathrm{n})$ and X is a conjugacy class of elements of order three.


Keyword: Commuting graph $\mathrm{C}(\mathrm{G}, \mathrm{X})$; $q(\mathrm{t})$; Symmetric group; Order three

