

## Prime gamma-near-rings with $(\sigma, \tau)$ -derivations

### ABSTRACT

Let  $N$  be a 2 torsion free prime  $\Gamma$ -near-ring with center  $Z(N)$  and let  $d$  be a nontrivial derivation on  $N$  such that  $d(N) \subseteq Z(N)$ . Then we prove that  $N$  is commutative. Also we prove that if  $d$  be a nonzero  $(\sigma, \tau)$ -derivation on  $N$  such that  $d(N)$  commutes with an element  $a$  of  $N$  then either  $d$  is trivial or  $a$  is in  $Z(N)$ . Finally if  $d_1$  be a nonzero  $(\sigma, \tau)$ -derivation and  $d_2$  be a nonzero derivation on  $N$  such that  $d_1\tau = \tau d_1$ ,  $d_1\sigma = \sigma d_1$ ,  $d_2\tau = \tau d_2$ ,  $d_2\sigma = \sigma d_2$  with  $d_1(N)\Gamma\sigma(d_2(N)) = \tau(d_2(N))\Gamma d_1(N)$  then  $N$  is a commutative  $\Gamma$ -ring.

**Keyword:** Gamma ring; Ring; Prime ring;  $(\sigma, \tau)$  derivation.