

**On the composition and neutrix composition of the delta function and powers of the
inverse hyperbolic sine function**

ABSTRACT

Lets F be a distribution in D' and let f be a locally summable function. The composition $F(f(x))$ of F and f is said to exist and be equal to the distribution $h(x)$ if the limit of the sequence $\{F_n(f(x))\}$ is equal to $h(x)$, where $F_n(x)=F(x)*\delta_n(x)$ for $n=1, 2, \dots$ and $\{\delta_n(x)\}$ is a certain regular sequence converging to the Dirac delta function. It is proved that the neutrix composition $\delta[(\sinh x)^+]$ exists and for $s=0, 1, 2, \dots$ and $r=1, 2, \dots$, where M is the smallest integer greater than $(s-r +1)/r$ and Further results are also proved.

Keyword: Distribution; Delta function; Composition of distributions; Neutrix; Neutrix limit; Neutrix composition of distributions; 33B10; 46F10